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[Fr05] *The place of exceptional covers among all diophantine relations*, J. Finite Fields **11** (2005) 367–433, arXiv:0910.3331v1 [math.NT]; short list of corrections at exceptTower0910-3331v1-cor.html.

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