EVENTS

Def. Consider on experiment.

- The set of all possible outcomes is called the sample space $S$.
- Subsets of $S$ are called events
$S$ Boons
- Probability, a number $\in(0,1)$, is assigned to $\forall$ event

Examples

1. Experiment $=$ flip coin twice

$$
\begin{gathered}
S=\{H H, H T, T H, T T\} \\
\uparrow \uparrow \uparrow \rho \\
\text { \&outcomes }
\end{gathered}
$$

$E=$ "getting head once" $=\{H T, T H\}$
Probability (E) $=\frac{1}{2}$ (next class)
2. Experiment $=$ record the time of the first 911 call today

$$
\begin{aligned}
& S=[0,24] \\
& E=\text { "someone calls } 911 \text { by } 9: 00 \mathrm{am}^{4}=[0,9] \\
& \text { Prob }=\text { ? }
\end{aligned}
$$

3. Toss two dice.

$$
\begin{aligned}
& S=\{(i, j): i, j=1, \ldots, 6\} . \quad|S|=36 \\
& E=\text { "the sum of the dice is } \geq 10^{\prime \prime} \\
& =\{(4,6),(5,5),(5,6),(6,4),(6,5),(6,6)\} . \quad(E)=6 \\
& \text { Prob }=\frac{6}{36}=\frac{1}{6} \quad \text { (next clay) }
\end{aligned}
$$

4. Exp: a study is performed on families, the sex of children is recorded (older first)

$$
\begin{aligned}
& S=\left\{\begin{array}{l}
N, B, G, B B, B G, G B, G S, B B B, \cdots\} \\
\uparrow, \uparrow \text { children } \uparrow \\
\text { one boy }
\end{array}\right.
\end{aligned}
$$

$$
E=\text { "the older child is a } 6, y "=\{B, B B, B G, B B B, B B E, \ldots\}
$$

5. Exp: chore a sample of 10 rats from a lab of 100

$$
\begin{aligned}
& S=\{\text { all subsets of } 10 \text { rats }\} . \quad|S|=\binom{100}{10} \\
& E=\text { "sample has } 4 \text { sick, } 6 \text { health, rath" } \\
& E=\{\text { all subsets of } 10 \text { rats ilk } 4 \text { sich, } 6 \text { health \} } \\
& (E)=\binom{40}{4}\binom{60}{6}, \quad P(E)=\frac{|5|}{|S|}=0,26
\end{aligned}
$$

